

# How to Understand Aqueous Ionization and Its Influence on Key Physical Properties of Drugs

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*Simulations Plus, Inc.*

*Drug Discovery Chemistry*  
*San Diego, 2019*

# Part I

**“You Must Unlearn What You Have Learned”:**

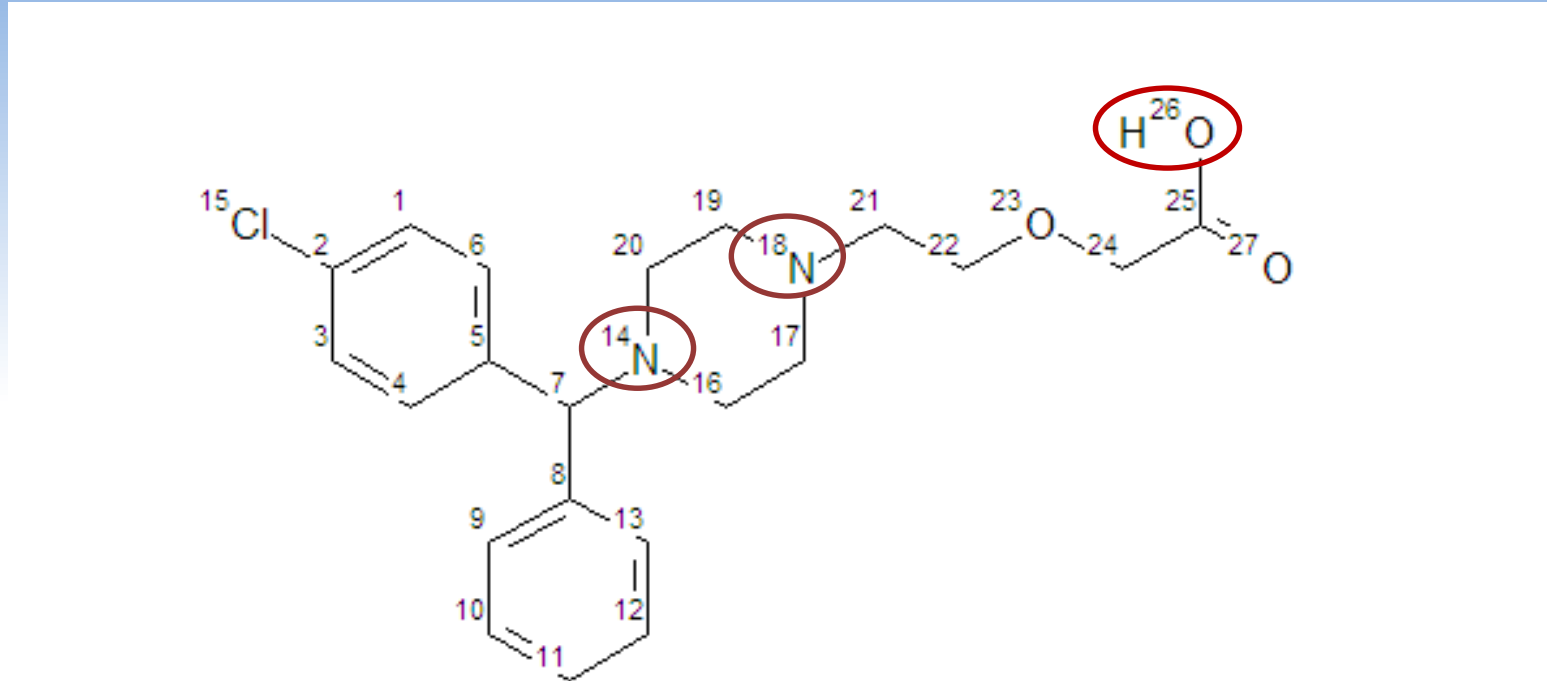
**Clearing Up Myths About Aqueous Ionization of Drugs**



“No! No different. Only different in your mind... You must unlearn what you have learned.”

*Master Yoda to Luke Skywalker in the swamps of Dagobah.*

# Myth #1: apparent $pK_a$ can always be “assigned” to functional groups



2.10

3.01

8.17

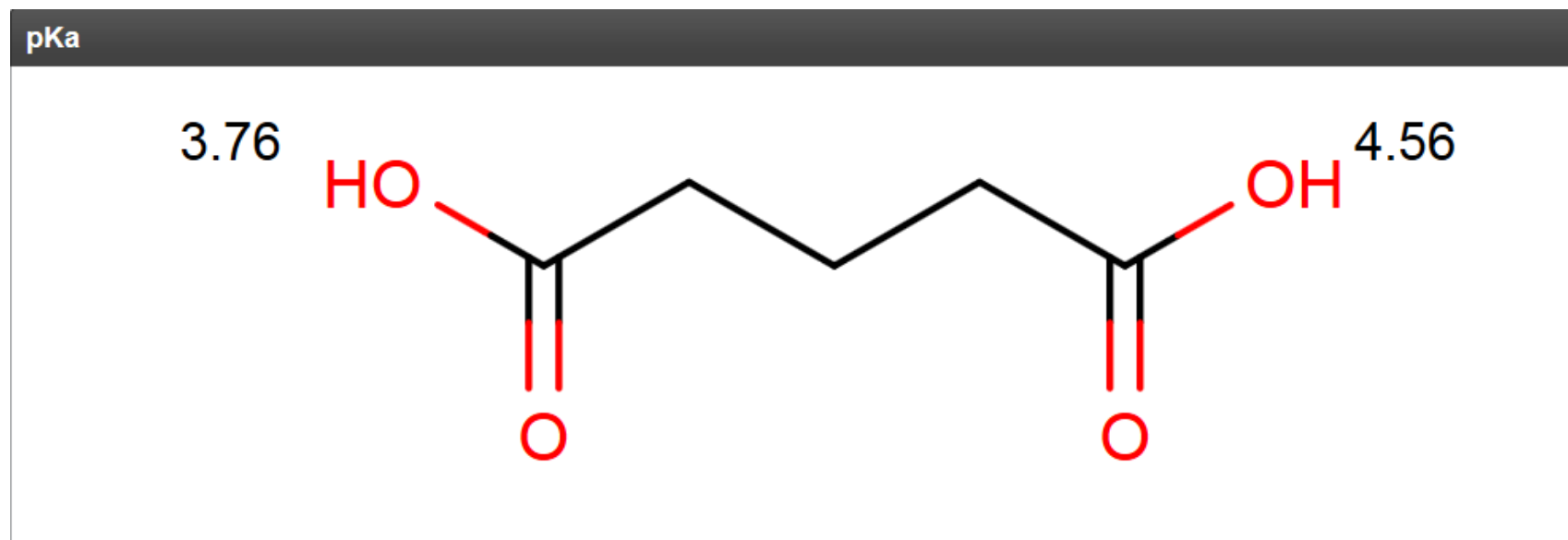
Marosi A, Kovacs Z, Beni S,  
Kokosi J and Noszal B.  
European Journal of  
Pharmaceutical Sciences, 37:  
321-328, 2009.

# Glutaric acid example

Measured apparent  $pK_a$ : 5.42  
4.35

German, W. & Vogel, A.,  
J. Am. Chem. Soc., 58, 1546 (1936)

How one popular program predicts and reports  $pK_a$  for  
glutaric acid:



# Futility of “assignments” – another example

Apparent  $pK_a$

1.40

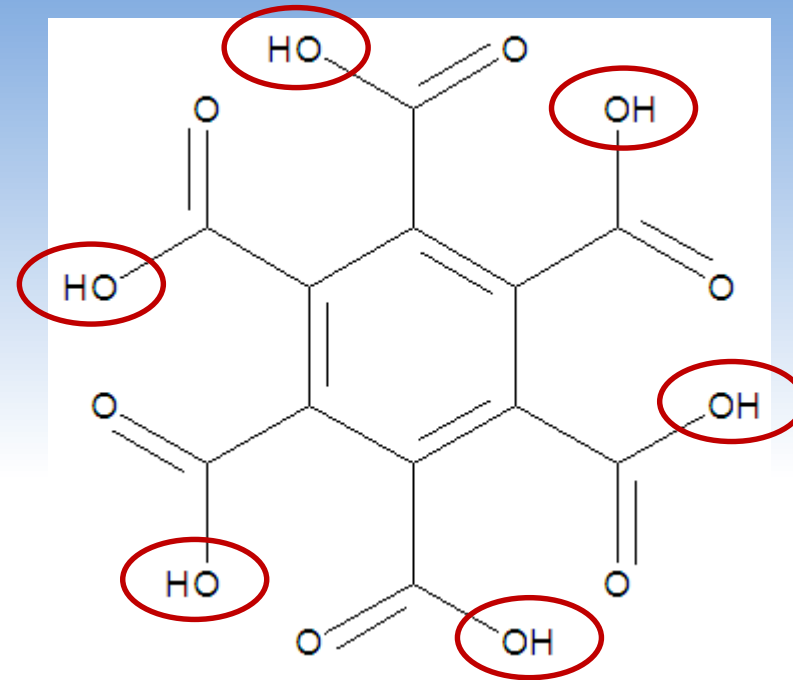
2.19

3.31

4.78

5.89

6.96

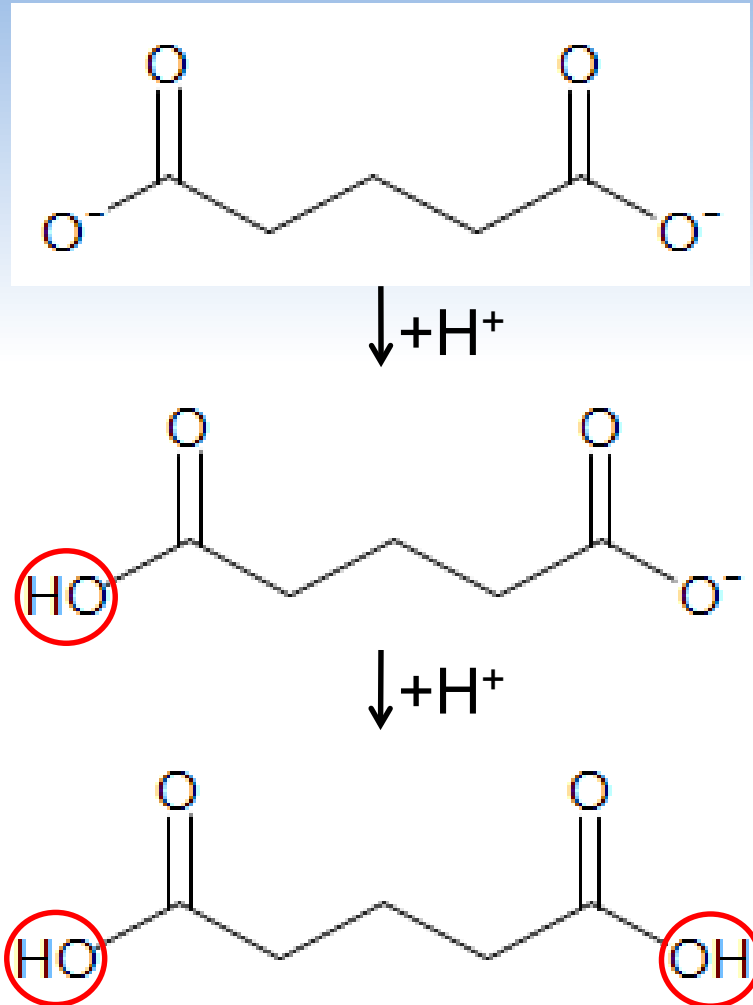


**“Assign”? How?**

Maxwell W & Partington J. *Trans Farad Soc.* **31**, 922 (1935)

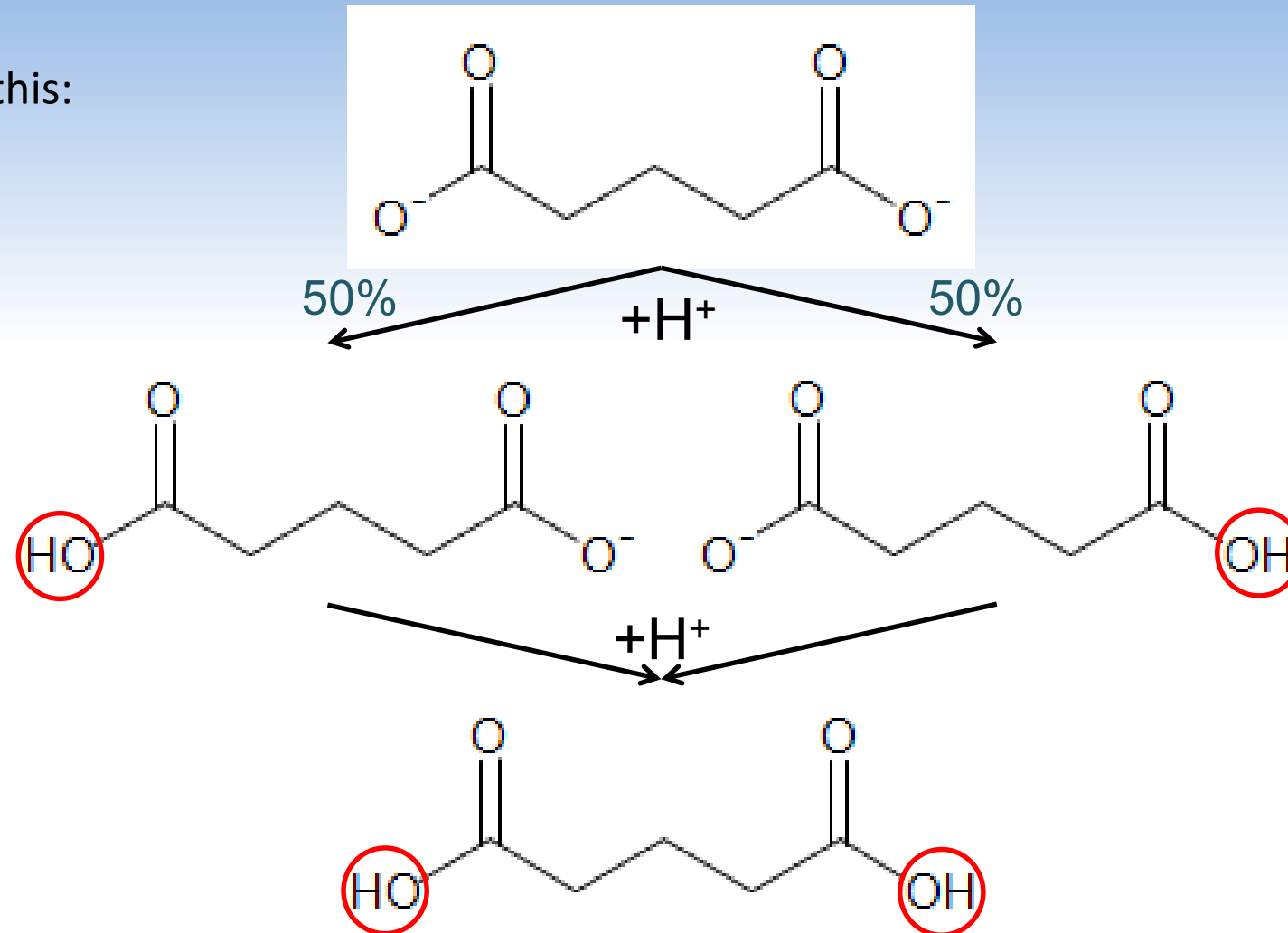
# How do polyprotic molecules protonate?

Like this? :



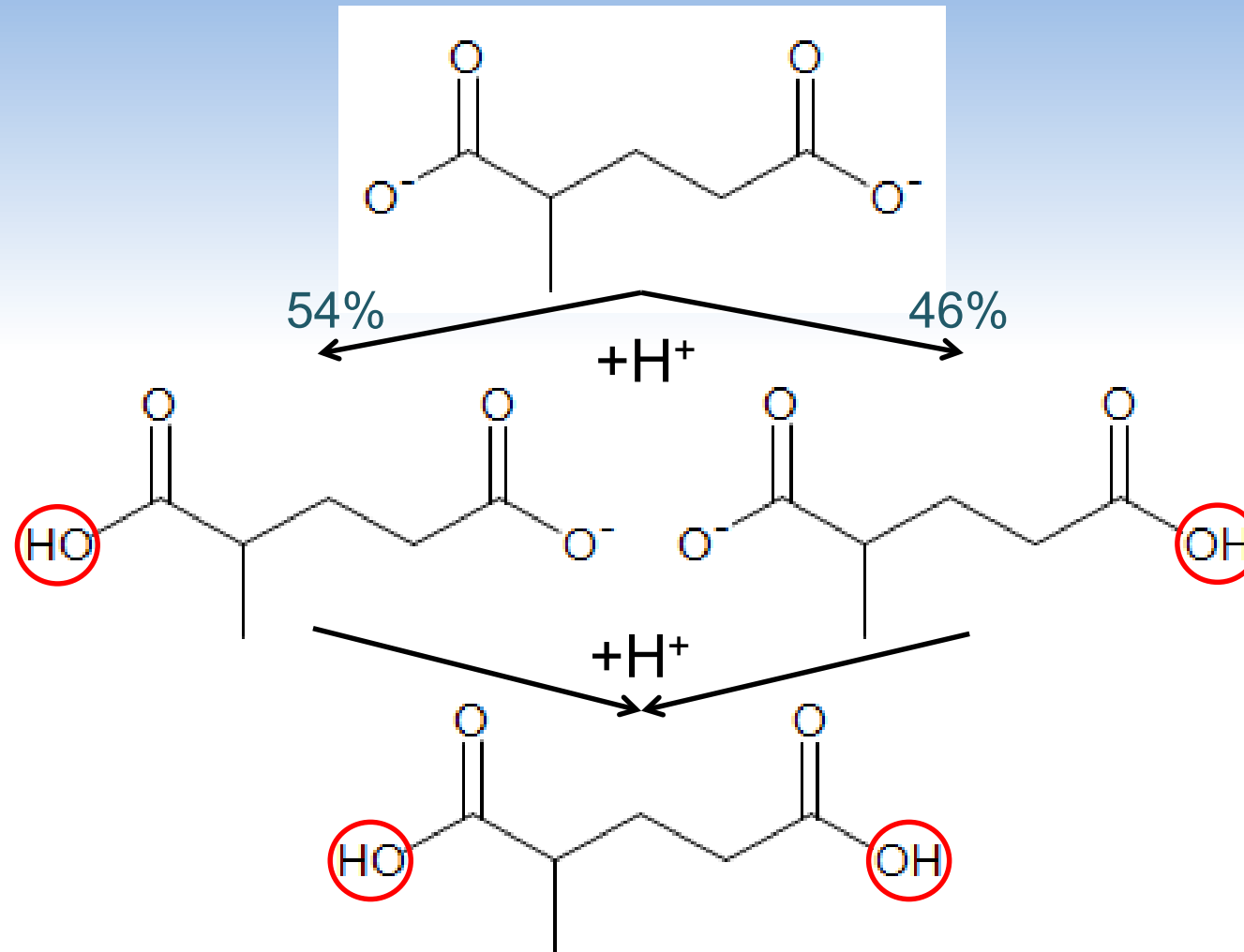
# How do polyprotic molecules protonate?

No! Like this:



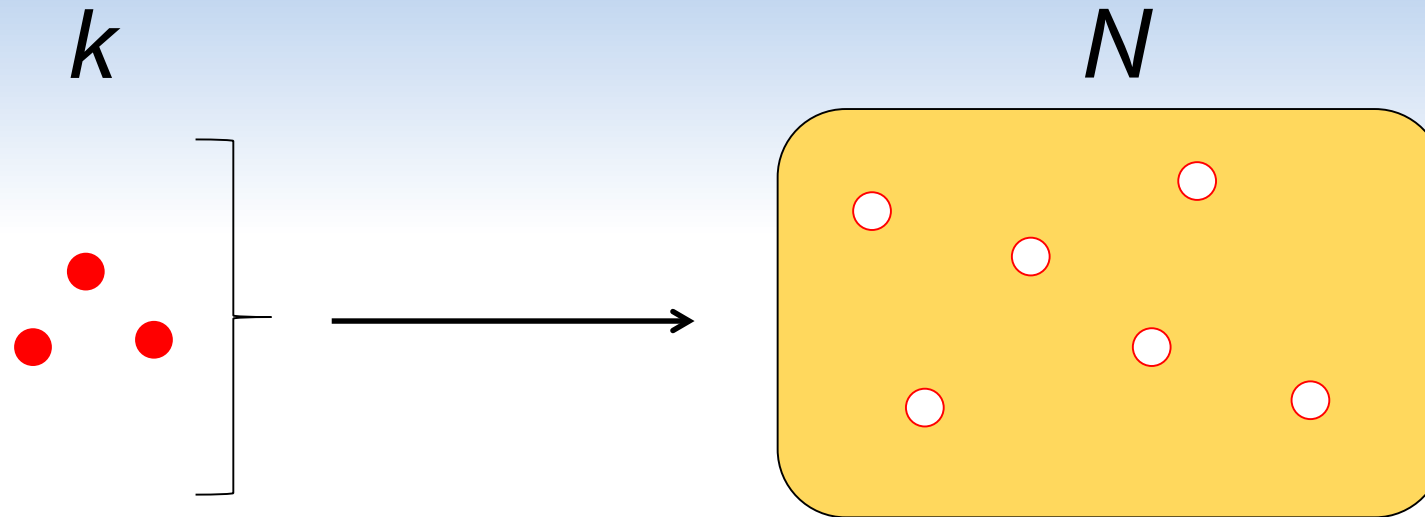


# How do polyprotic molecules protonate?



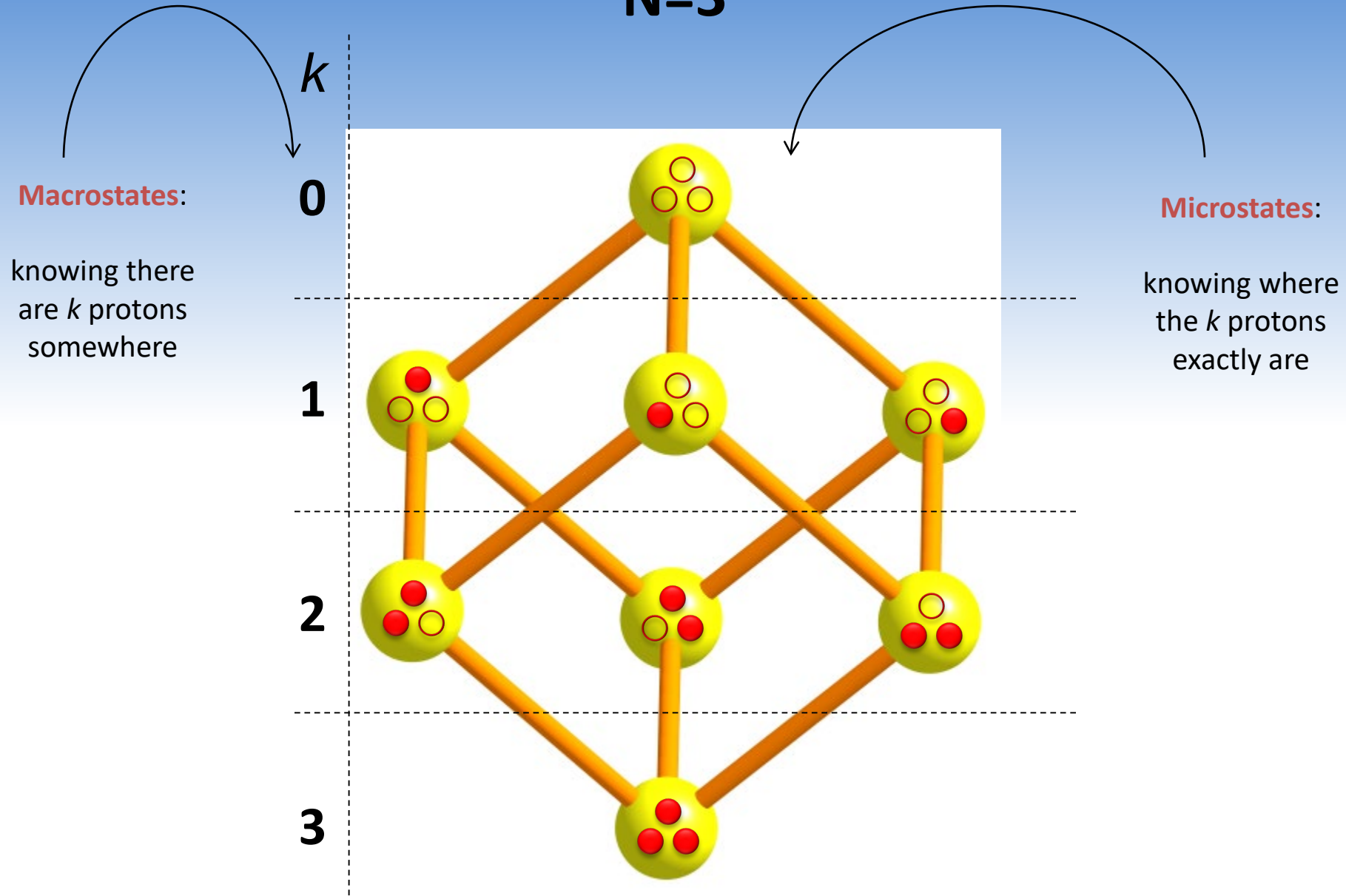
# It's a simple combinatorial problem

Distribute  $k$  protons among  $N$  sites;  $0 \leq k \leq N$

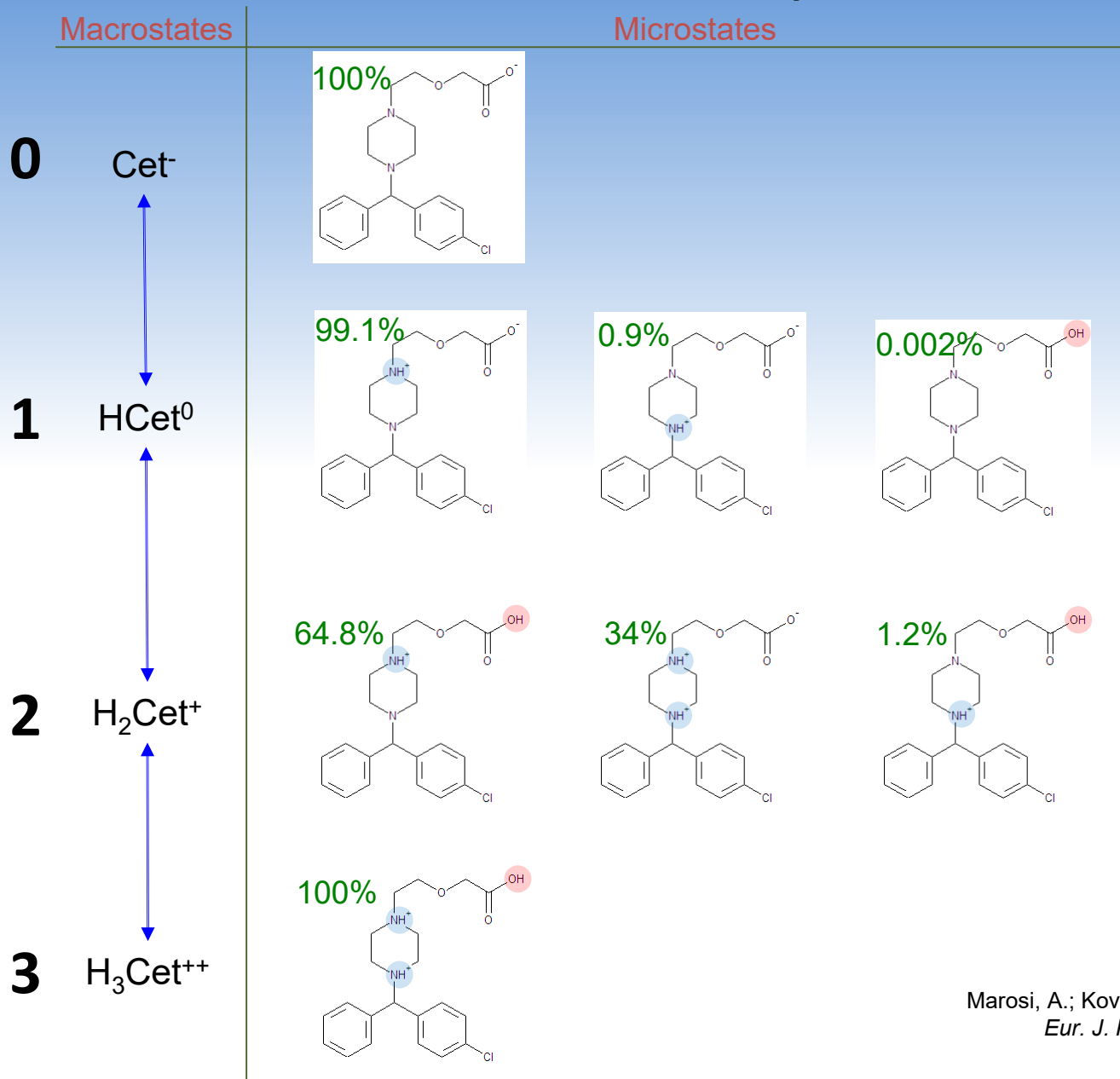


$$\binom{N}{k} \text{ distinct combinations}$$

**N=3**

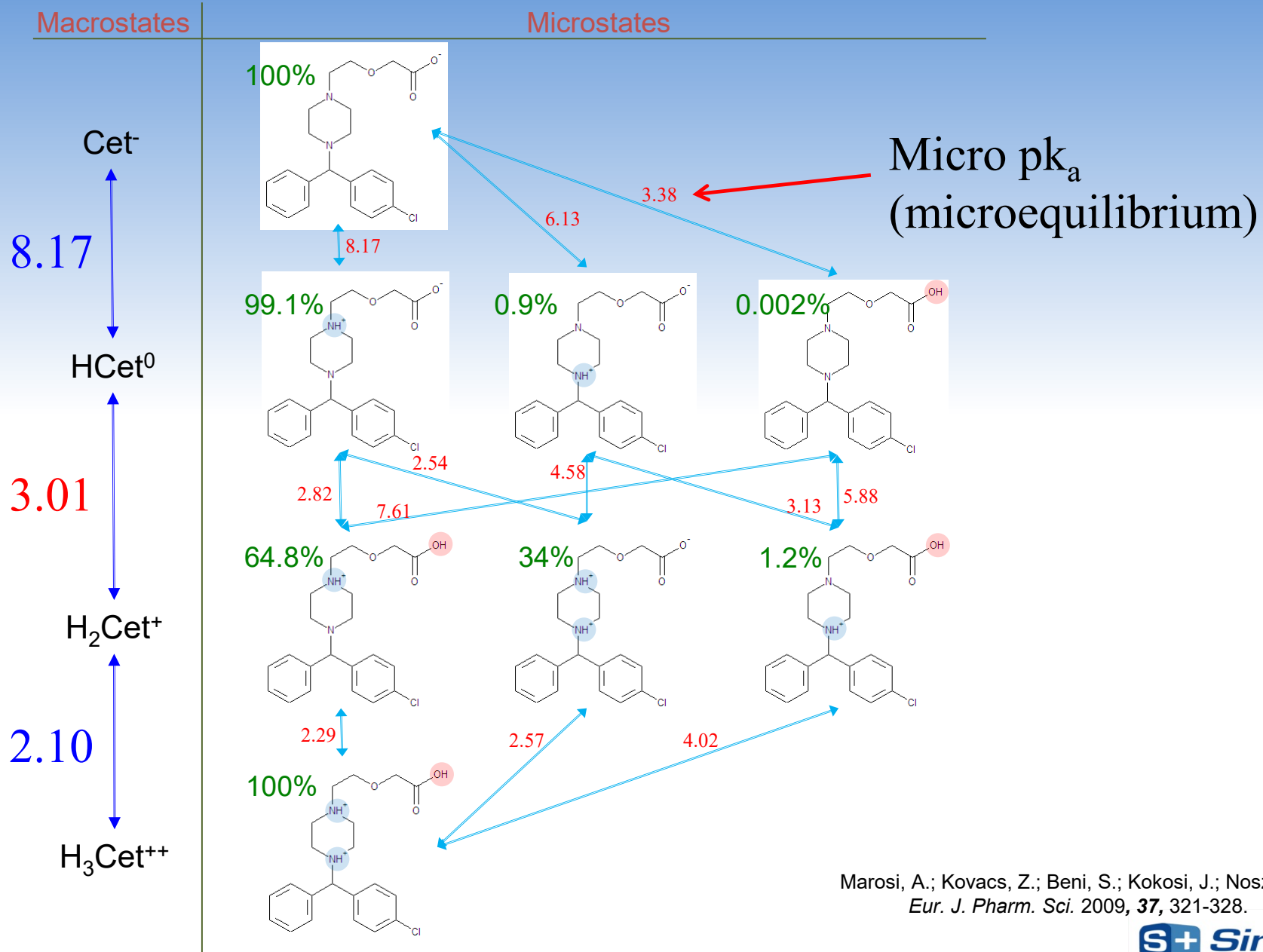


# Cetirizine, N=3



Marosi, A.; Kovacs, Z.; Beni, S.; Kokosi, J.; Noszal, B.  
*Eur. J. Pharm. Sci.* 2009, **37**, 321-328.

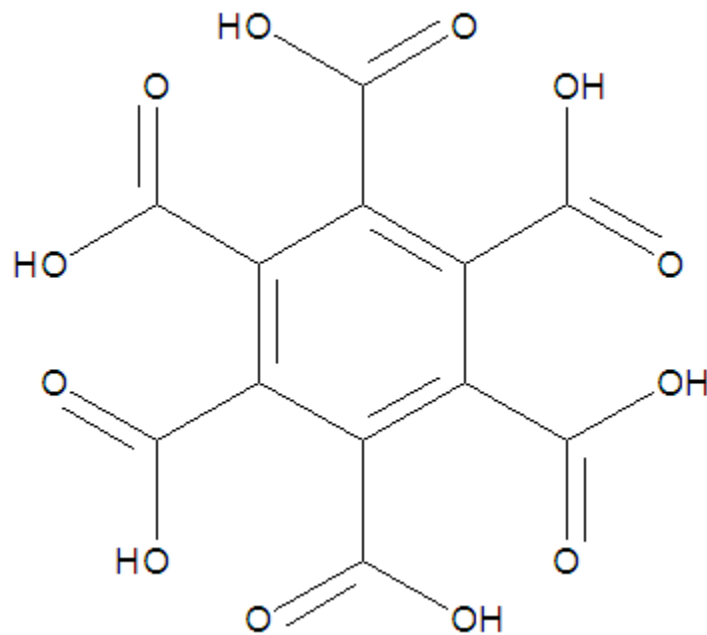
# Cetirizine, N=3, with pK<sub>a</sub>



Marosi, A.; Kovacs, Z.; Beni, S.; Kokosi, J.; Noszal, B.  
*Eur. J. Pharm. Sci.* 2009, **37**, 321-328.

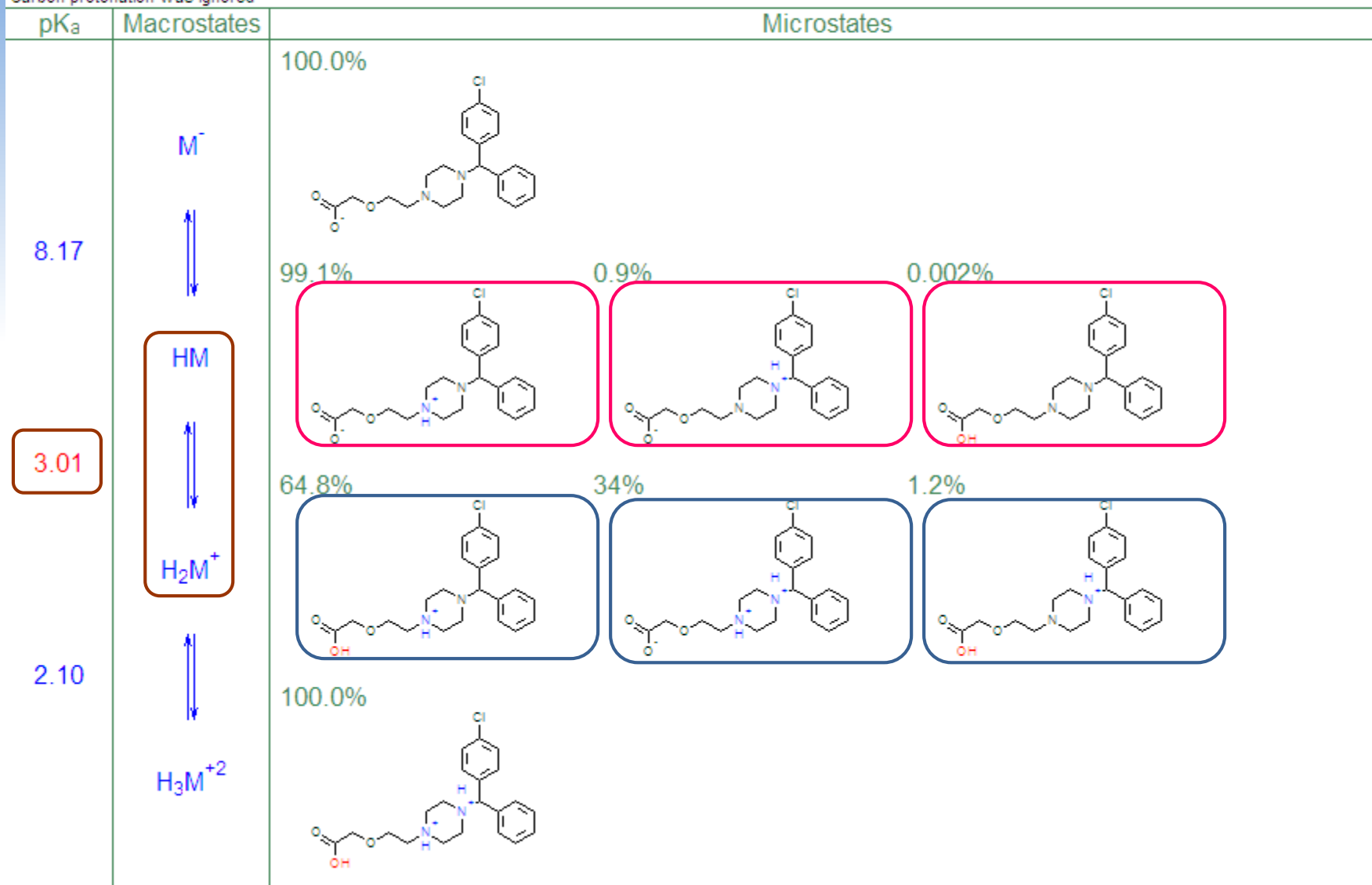
# Mellitic Acid, N=6

pKa	Macrostates	Microstates																				
	$M^{-6}$	100.0%																				
6.66	$M^{-6} \rightleftharpoons HM^{-5}$	16.7%	16.7%	16.7%	16.7%	16.7%	16.7%															
5.37	$HM^{-5} \rightleftharpoons H_2M^{-4}$	11.4%	11.4%	11.4%	7.4%	7.4%	7.4%	7.4%	7.4%	7.4%	3.5%	3.5%	3.5%	3.5%	3.5%	3.5%						
4.13	$H_2M^{-4} \rightleftharpoons H_3M^{-3}$	8.7%	8.7%	6.0%	6.0%	6.0%	6.0%	6.0%	6.0%	6.0%	6.0%	6.0%	6.0%	6.0%	6.0%	6.0%	1.8%	1.8%	1.8%	1.8%	1.8%	1.8%
2.97	$H_3M^{-3} \rightleftharpoons H_4M^{-2}$	10.6%	10.6%	10.6%	7.7%	7.7%	7.7%	7.7%	7.7%	7.7%	7.7%	7.7%	7.7%	3.6%	3.6%	3.6%	3.6%	3.6%	3.6%			
2.03	$H_4M^{-2} \rightleftharpoons H_5M^{-1}$	16.7%	16.7%	16.7%	16.7%	16.7%	16.7%															
1.56	$H_5M^{-1} \rightleftharpoons H_6M$	100.0%																				

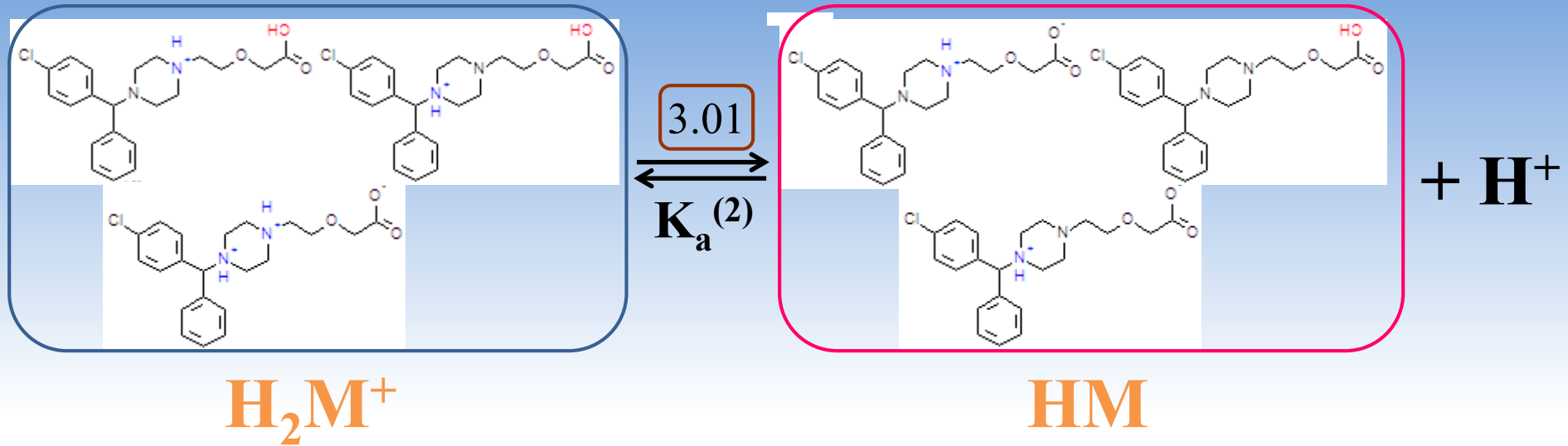


pKa Table for Cetirizine.mol  
 1 acidic atoms: 26(-OH)  
 2 basic atoms: 14(>N-)18(>N-)  
 Aliphatic -OH groups were ignored  
 Aliphatic amides were ignored  
 Carbon protonation was ignored

# A microscopic/thermodynamic view of cetirizine ionization



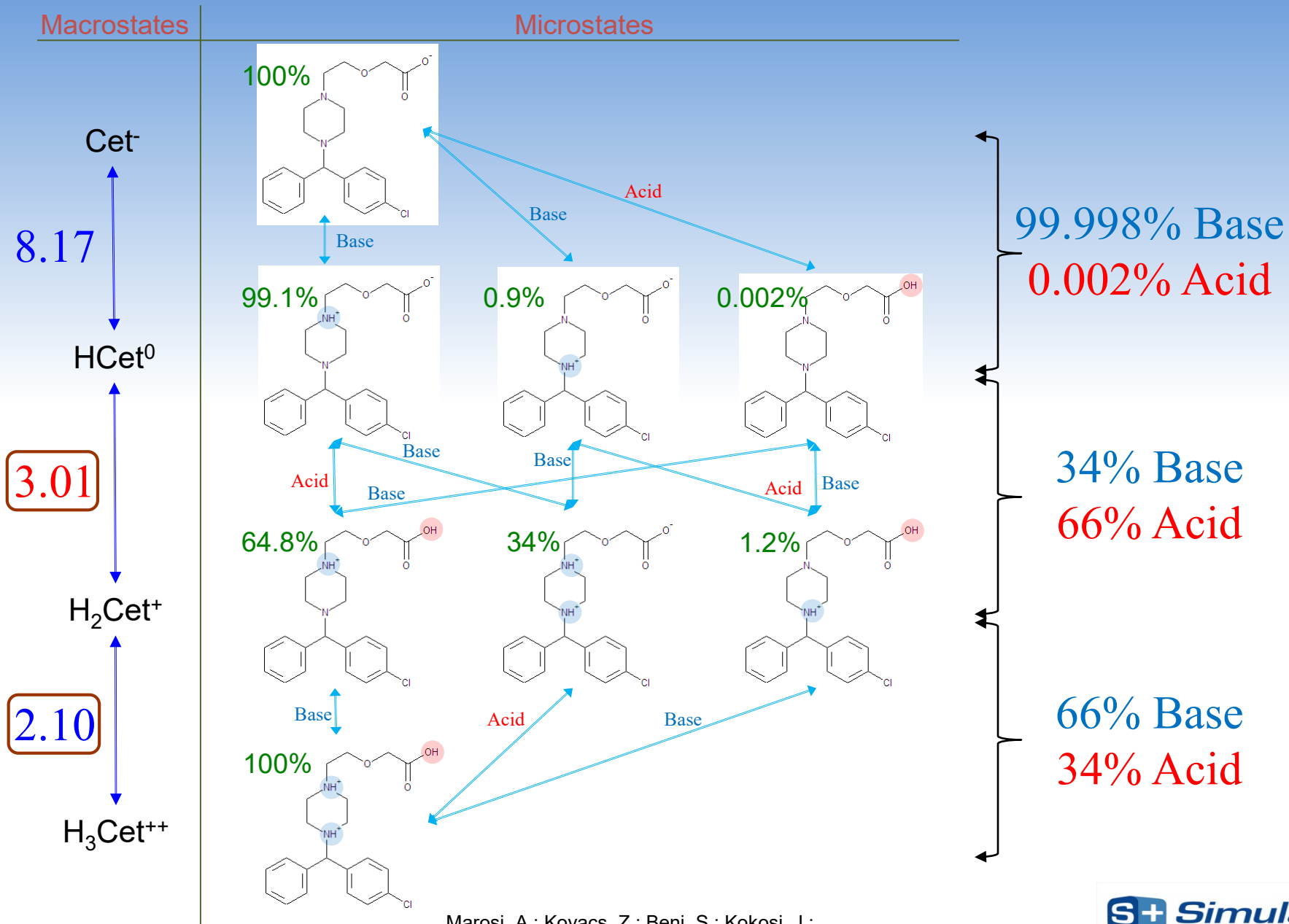
# Apparent pK<sub>a</sub> is NOT a property of a single ionizable group



$$K_a(2) = \frac{\left[ \text{Cl-C}_6\text{H}_4\text{-N}^+\text{(Pip)-CH}_2\text{-C}_6\text{H}_5 \right] + \left[ \text{Cl-C}_6\text{H}_4\text{-N}^+\text{(Pip)-CH}_2\text{-C}_6\text{H}_5 \right] + \left[ \text{Cl-C}_6\text{H}_4\text{-N}^+\text{(Pip)-CH}_2\text{-C}_6\text{H}_5 \right] \left[ H^+ \right]}{\left[ \text{Cl-C}_6\text{H}_4\text{-N}^+\text{(Pip)-CH}_2\text{-C}_6\text{H}_5 \right] + \left[ \text{Cl-C}_6\text{H}_4\text{-N}^+\text{(Pip)-CH}_2\text{-C}_6\text{H}_5 \right] + \left[ \text{Cl-C}_6\text{H}_4\text{-N}^+\text{(Pip)-CH}_2\text{-C}_6\text{H}_5 \right]}$$



# Myth #2: apparent $pK_a$ can always be "labeled" as either acidic, or basic



# Apparent and microscopic pK<sub>a</sub> for morphine

pKa Table for Morphine.mol

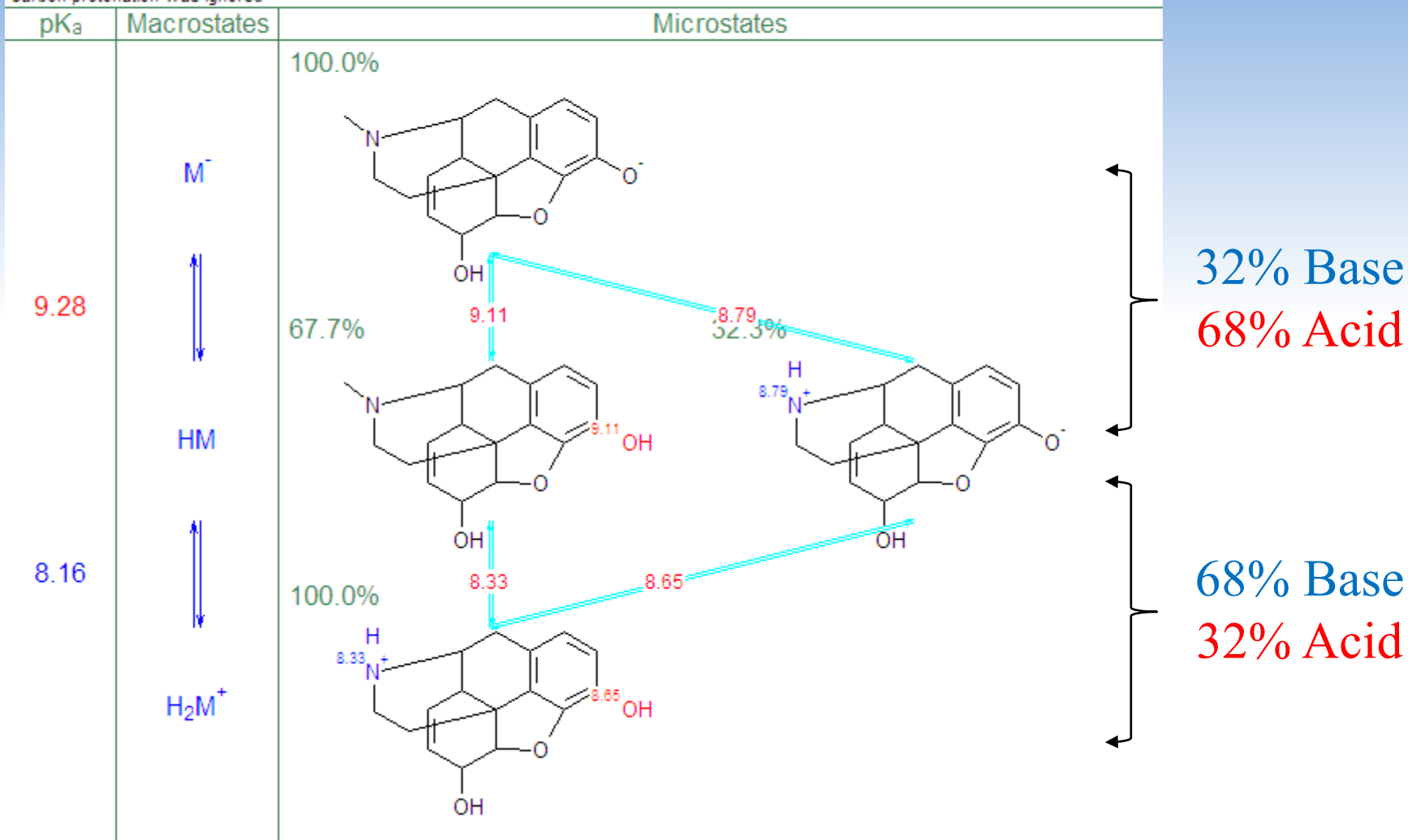
1 acidic atoms: 2(-OH)

1 basic atoms: 2(>N-)

Aliphatic -OH groups were ignored

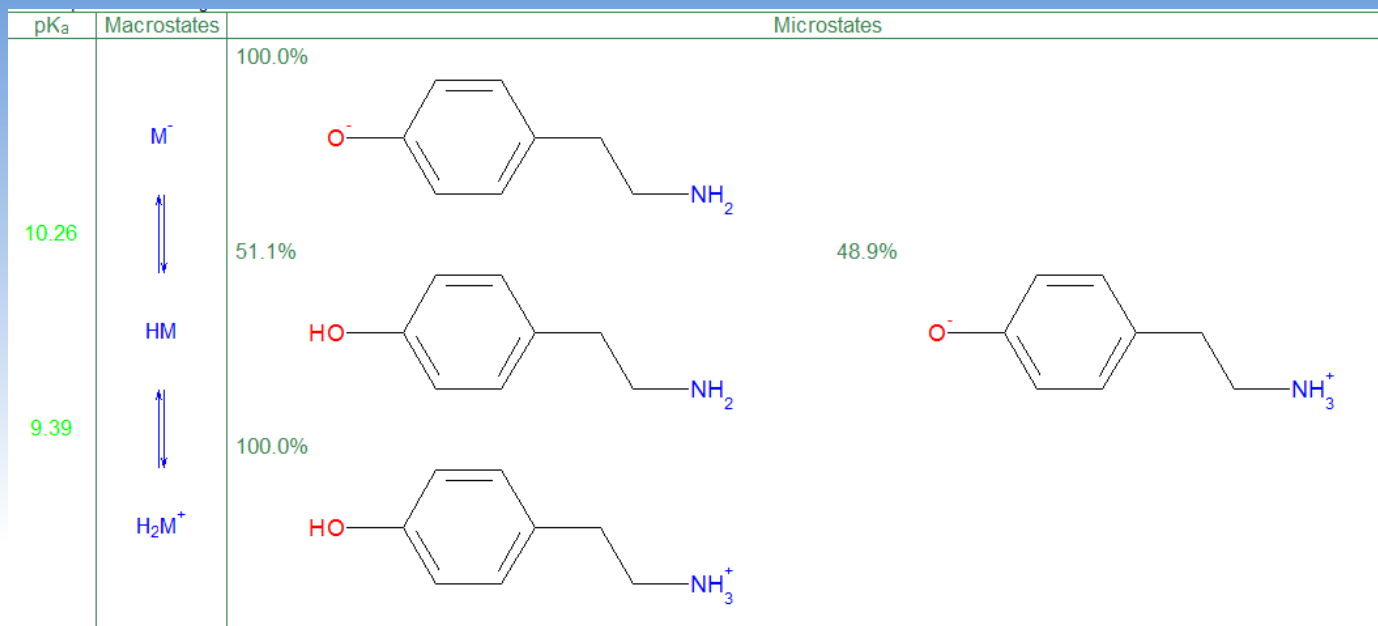
Aliphatic amides were ignored

Carbon protonation was ignored



[Experimental data from Mazák K, Noszál B. Poster presented at the LogP2009 Symposium, Zürich, Switzerland, 2009]

# What is mixed pK<sub>a</sub>?



49% Base  
51% Acid

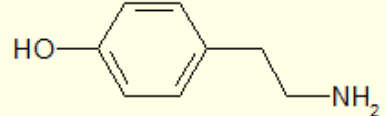
51% Base  
49% Acid

ADMET Predictor(TM) : Tyramine.mol (f:\pka\knownmicroconstants\)

File Batch Edit Calculate View Tools Help

Basic Modeler Settings    Adv. Modeler Settings    Ensemble Statistics    Model Export

**Molecular Data**    Prop./Desc. Histograms    Prop./Desc. Correlations    4D Data Mining

Molecular Record Spreadsheet						
MolFile	*molname	Orig.Order	S+Acidic_pKa	S+Mixed_pKa	S+Basic_pKa	DiffCo
Tyramine.mol 	Tyramine	1	None	10.26; 9.39	None	1.11

All    User Inputs    PChemBio    Metabolism    Toxicity    Simulation    Descriptors    User Models    ADMET Risk    Global

Operation completed successfully. 138 properties and 2 user data columns.    1 records    341 descriptors    1:17 PM



I'M  
51% SWEETHEART  
AND  
49% BITCH  
SO **DON'T PUSH IT!!!**

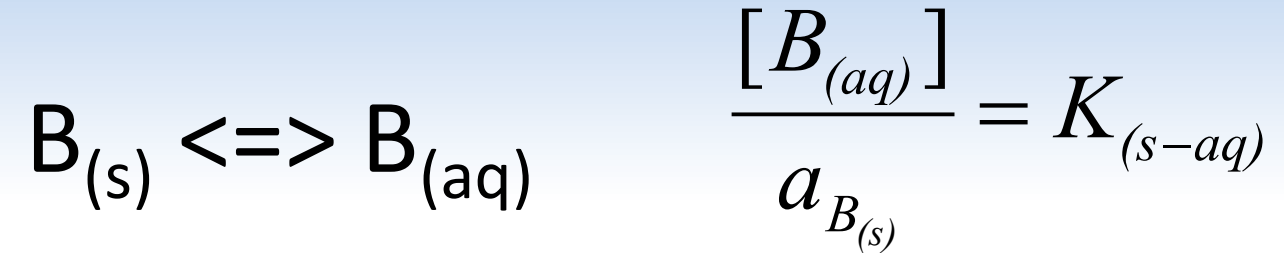
# Part II

**“It’s either salty, or it’s free”:**

**Understanding the pH Dependence of Aqueous Solubility**

# Example: solubility of a free monoprotic base

At high pH...



Intrinsic solubility of B

$$IS_B \equiv [B_{(aq)}] = K_{(s-aq)} a_{B_{(s)}} = \text{const}$$

# Ionization of a free monoprotic base

At any pH...



$$\frac{[B_{(aq)}][H^+_{(aq)}]}{[BH^+_{(aq)}]} = K_a$$

# Free: Solubility profile of a free monoprotic base

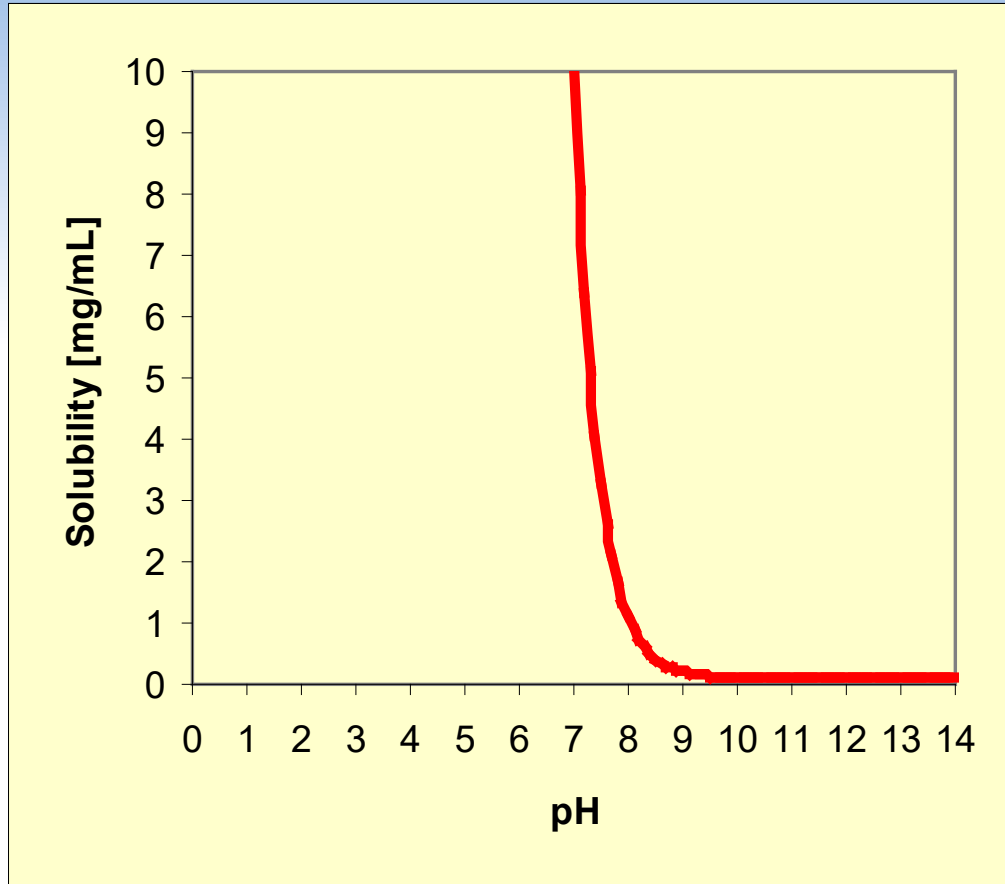
Apparent solubility of B

$$S_B(pH) = [B_{(aq)}] + [BH_{(aq)}^+]$$

$$S_B(pH) = IS_B \left( 1 + 10^{pK_a - pH} \right)$$



# “Acid catastrophe”



A base with intrinsic solubility of 0.1 mg/mL and  $pK_a = 9$  would at  $pH = 1$  be soluble at amazing  $10^7$  mg/mL ...

*10 kilograms per mL?*

# Salty: Counterions to the rescue

At low pH a different solid-liquid equilibrium is reached:



$$[\text{BH}^+_{(aq)}][\text{X}^-_{(aq)}] = K_{sp}$$

# Complete solubility profile of a monoprotic base

Free base region:

$$S_B(pH) = IS_B \left( 1 + 10^{pK_a - pH} \right)$$

Salt region:

$$S_B(pH, K_{sp}, [X^-]) = \frac{K_{sp}}{[X^-]} \left( 1 + 10^{pH - pK_a} \right)$$

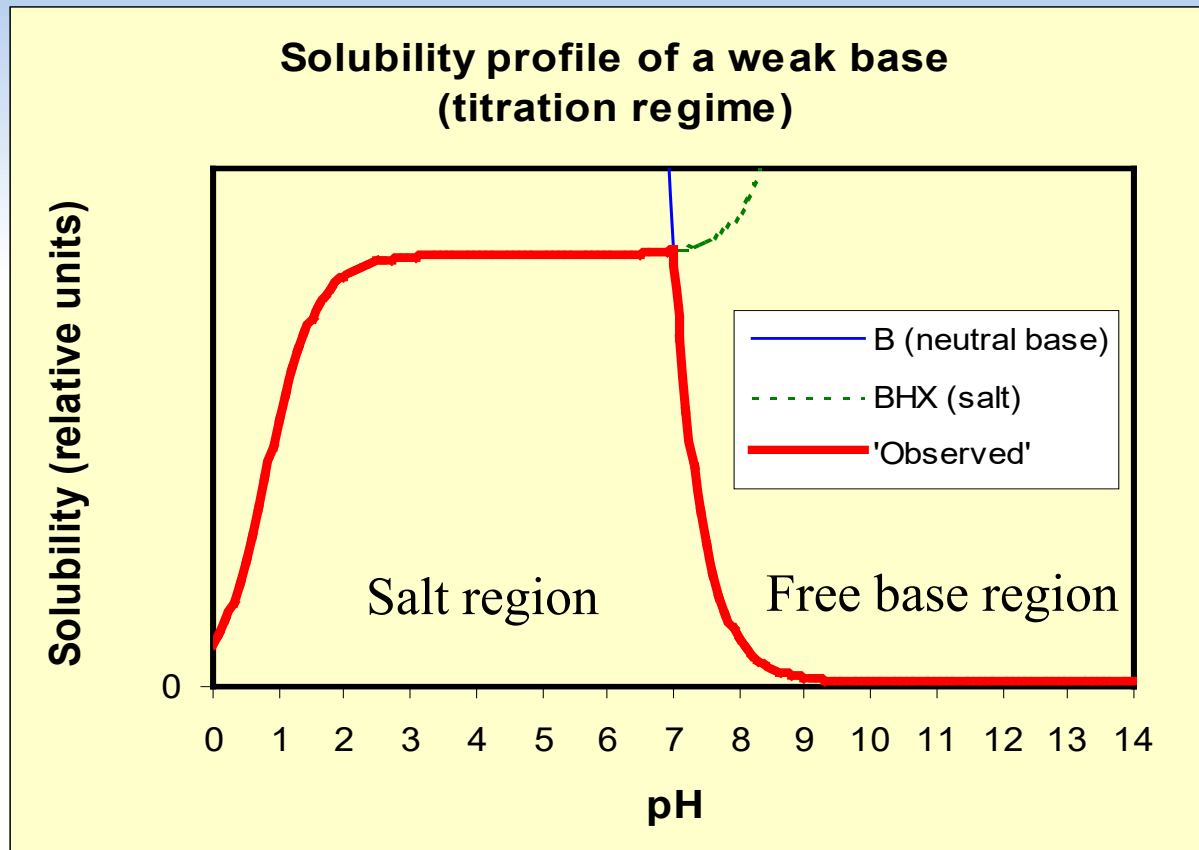
Source of trouble if many Xs compete...



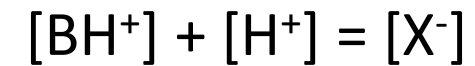
Source of the common ion effect!



# Complete “*in vitro*” solubility profile of a monoprotic base



Titration regime requires



at all times.

Hence,  $[\text{X}^-]$  goes up with decreasing pH.

# Parameters to be defined or predicted

$$IS_B, pK_a, K_{sp}, X, [X^-]$$

1) Standardize counterion to approximate *in vivo* conditions

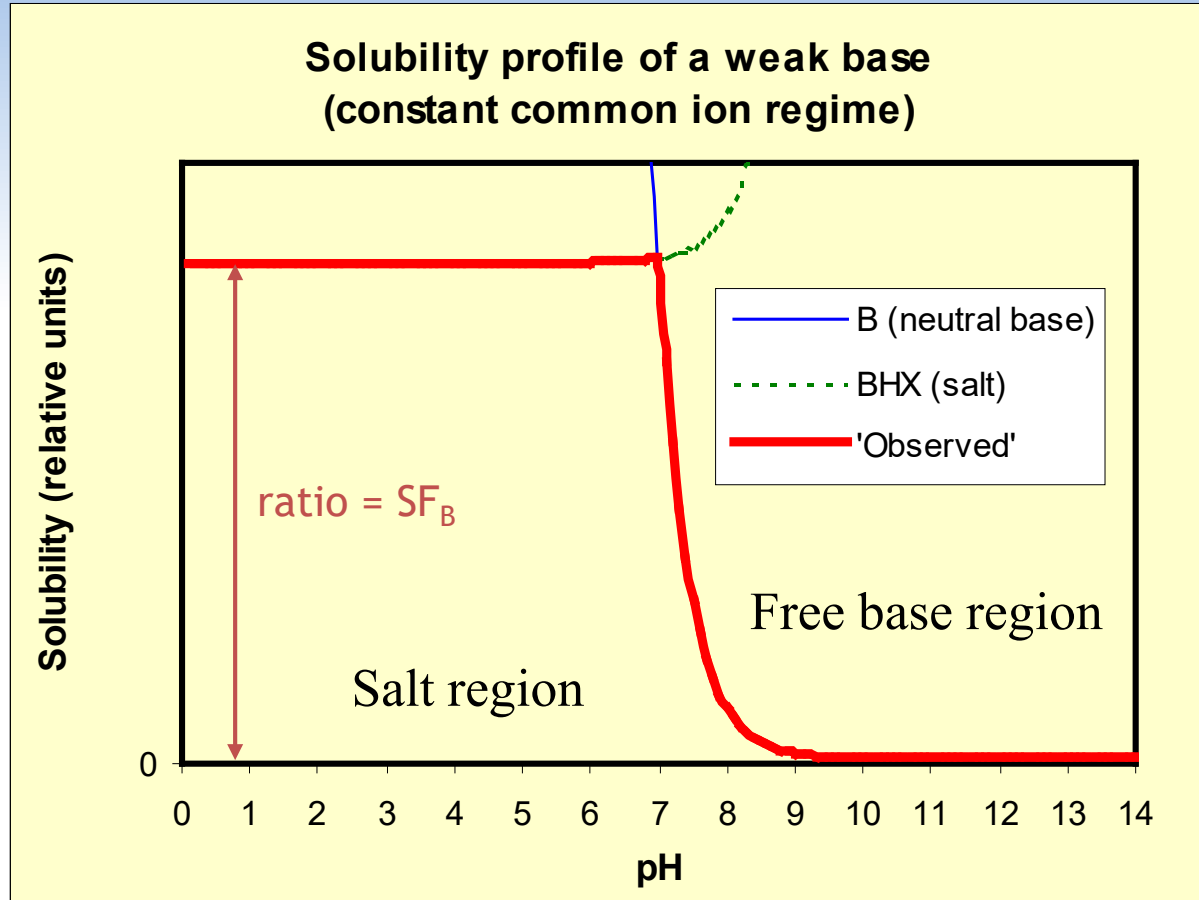
$$X = \text{Cl}, [X^-] = 0.14 \text{ M}$$

Johnson LR; "Fluid and Electrolyte Absorption" in  
Johnson LR (Ed.) *Gastrointestinal Physiology*; Mosby,  
St. Louis, 1989

2) Define *Solubility Factor*:

$$SF_B \equiv \frac{K_{sp}}{[X^-]} / IS_B$$

# Complete “*in vivo*” solubility profile of a monoprotic base



Constant common ion regime requires

$$[X^-] = \text{const}$$

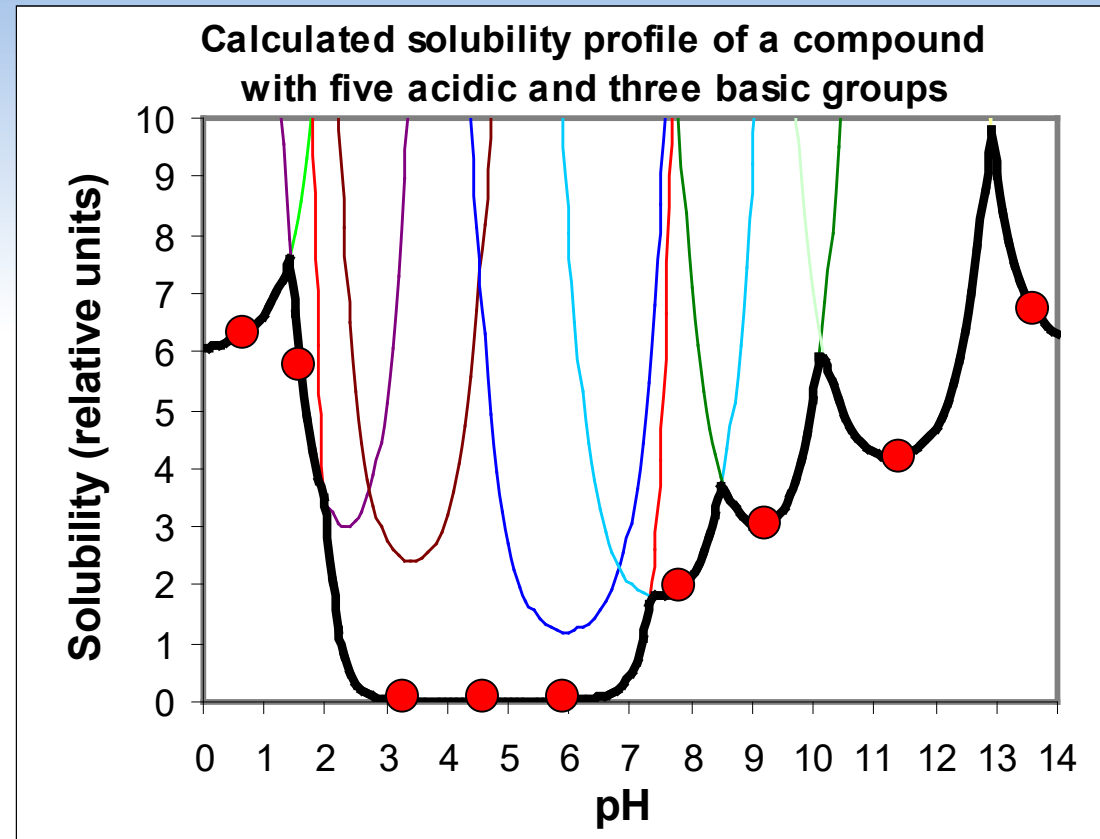
at all times

Best if standardized

to  $X^- = \text{Cl}^-$  and

$$[\text{Cl}^-] = 0.14 \text{ M}$$

# Solubility profiles of polyprotic compounds



# Part III

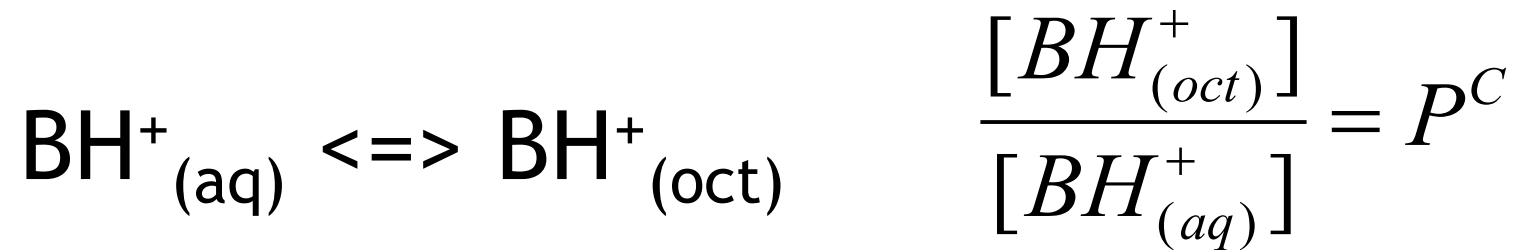
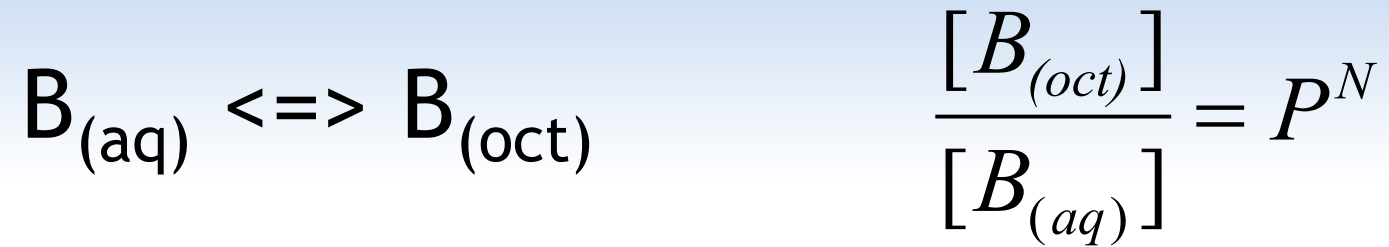
*“Et vincere nemo dividat”:*

**Understanding the pH Dependence of Partitioning**

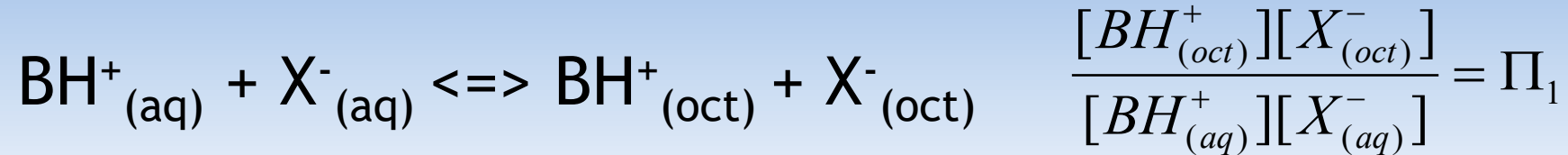


# Example: partition of a monoprotic base

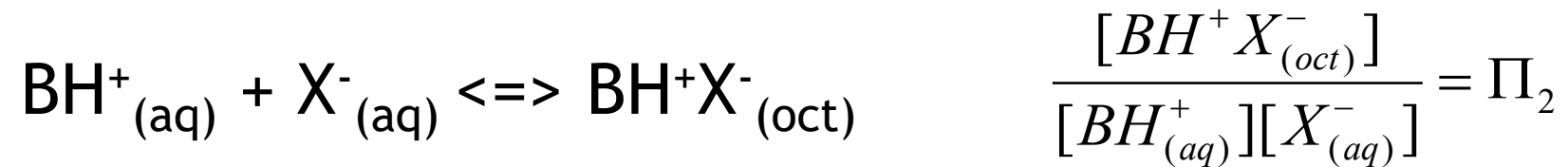
At any pH...



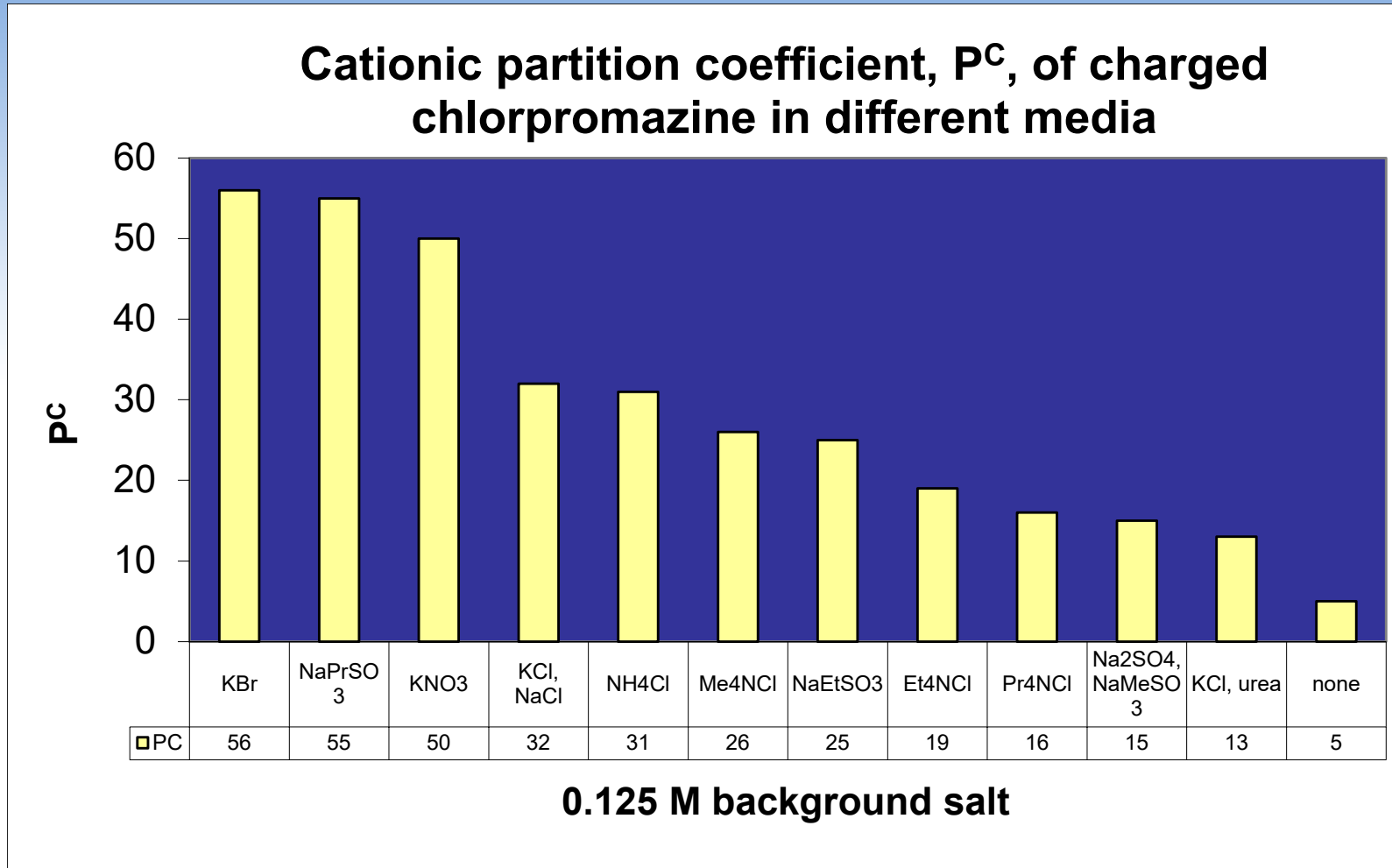
# Electroneutrality requires counterion partition



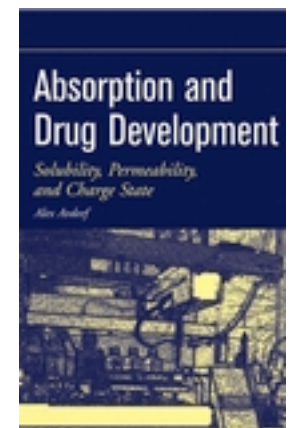
Not so fast...  
**OR**  
Are we forgetting something?



# Partition of charged species into octanol depends on the ionic environment of aqueous phase



Avdeef, A.; *Absorption and Drug Development*; Wiley-Interscience, Hoboken, NJ; 2003



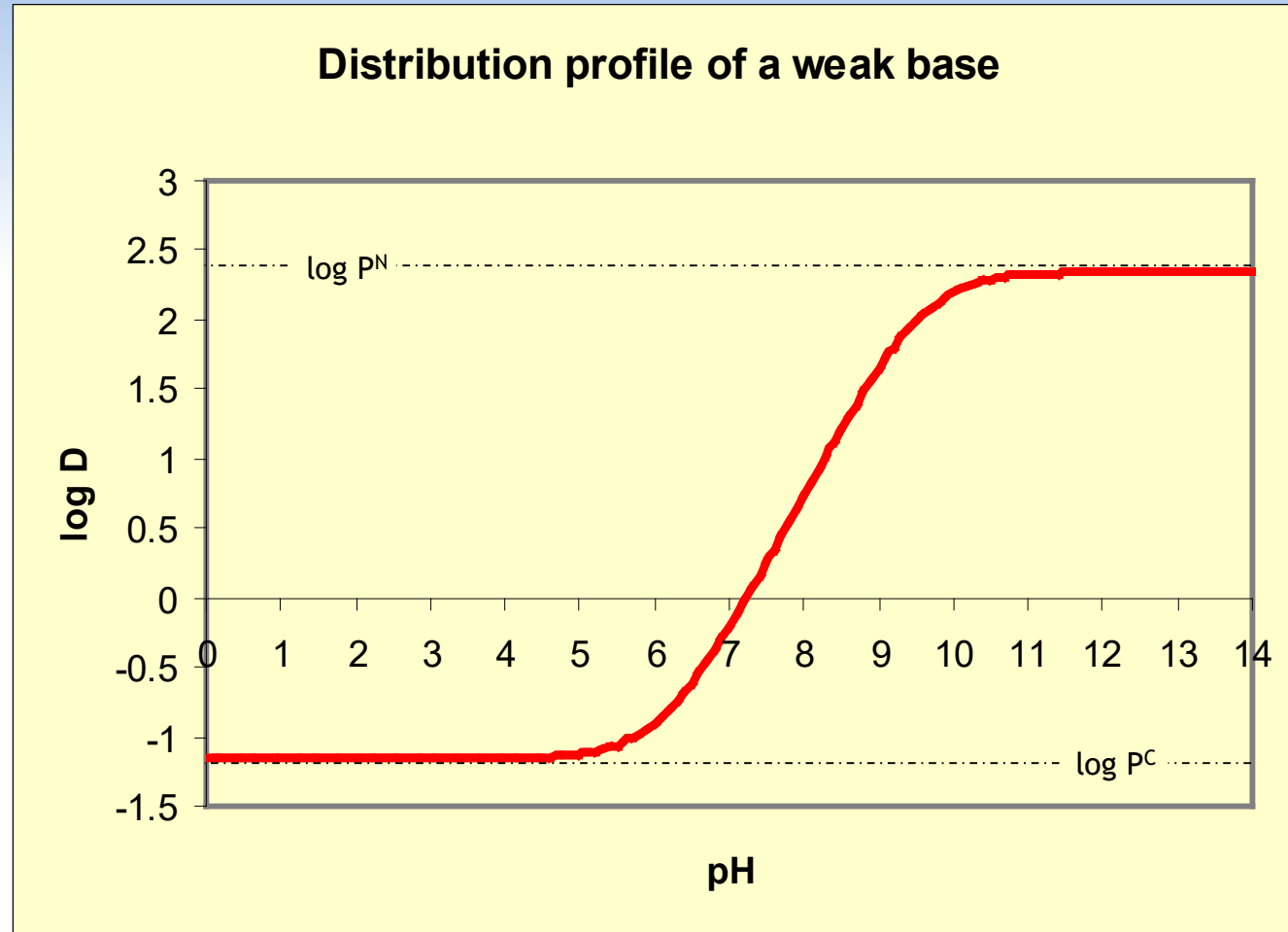
# Complete distribution profile of a monoprotic base

Don't forget ionization...  $\frac{[B_{(aq)}][H^+_{(aq)}]}{[BH^+_{(aq)}]} = K_a$

At all pH:

$$D(pH, X) = \frac{P^N + P^C(X) \cdot 10^{pK_a - pH}}{1 + 10^{pK_a - pH}}$$

# Complete distribution profile of a monoprotic base

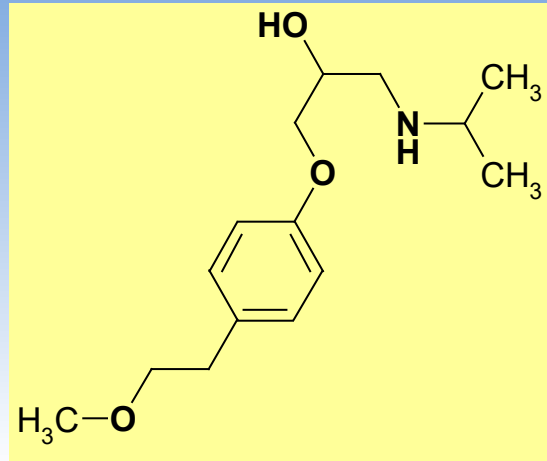


# Distribution profiles of polyprotic compounds

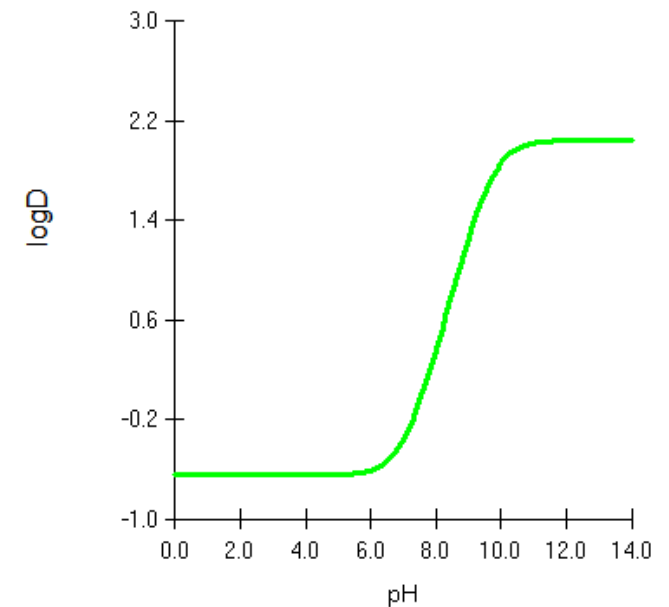
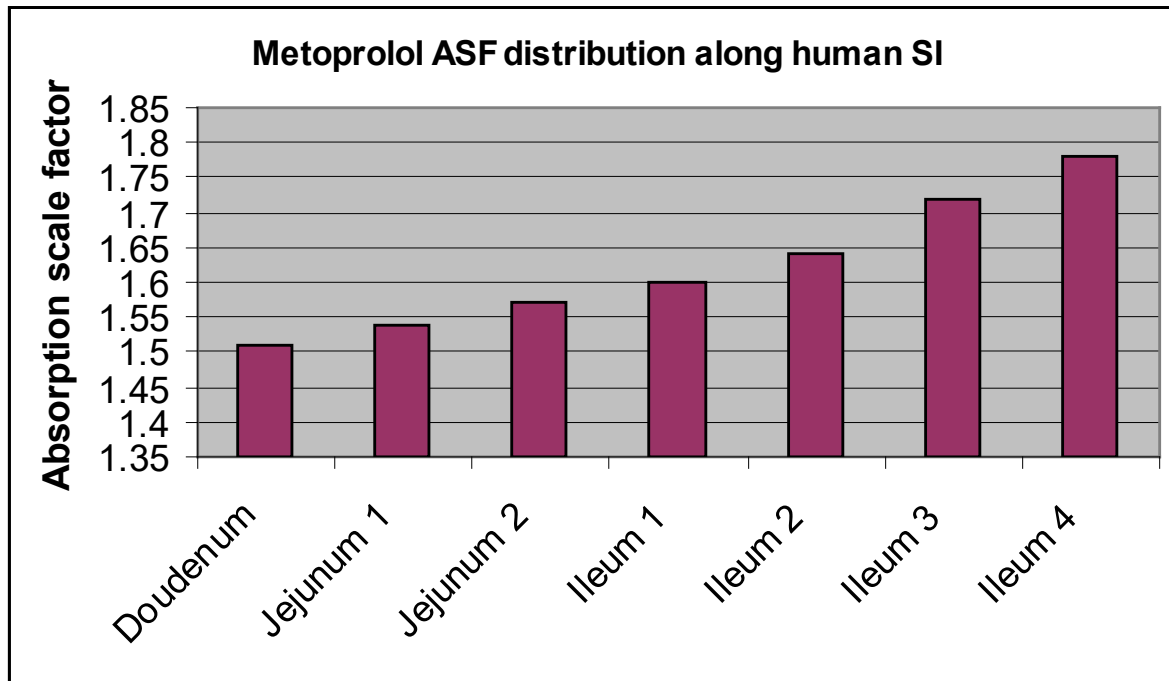
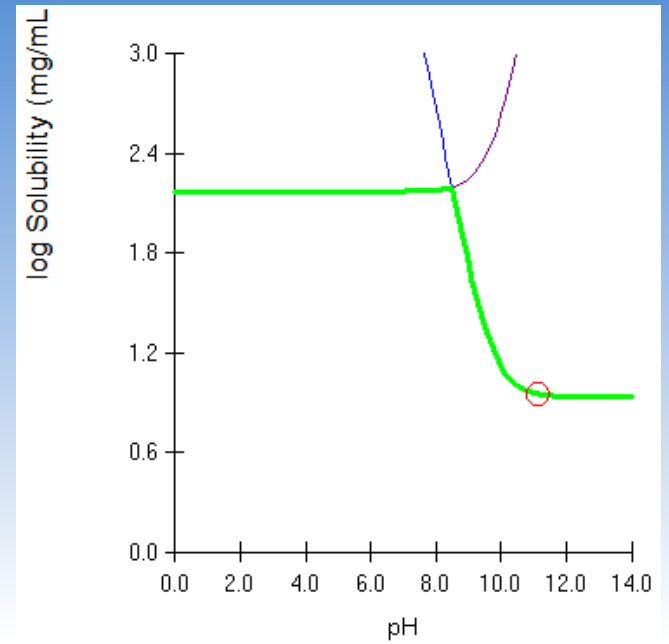
$$D(pH, X) = f_N(pH)P^N + \sum_{i=1}^n f_i(pH)P^i(X)$$

- $f_N$  = molar fraction of neutral species
- $P^N$  = partition coefficient of neutral species
- $f_i$  = molar fraction of ionized species  $i$
- $P^i$  = partition coefficient of ionized species  $i$
- $X$  = counterion

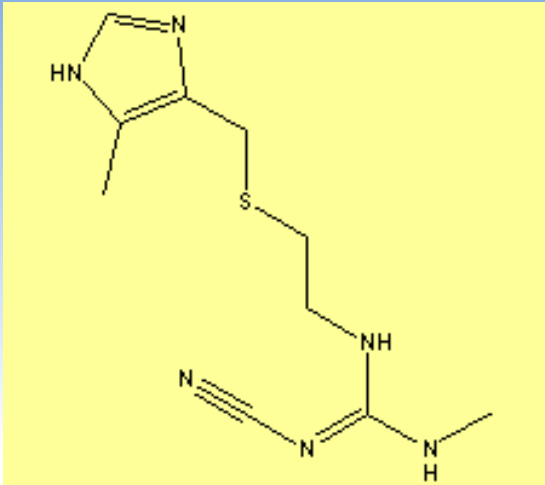
# Metoprolol Profiles (base)



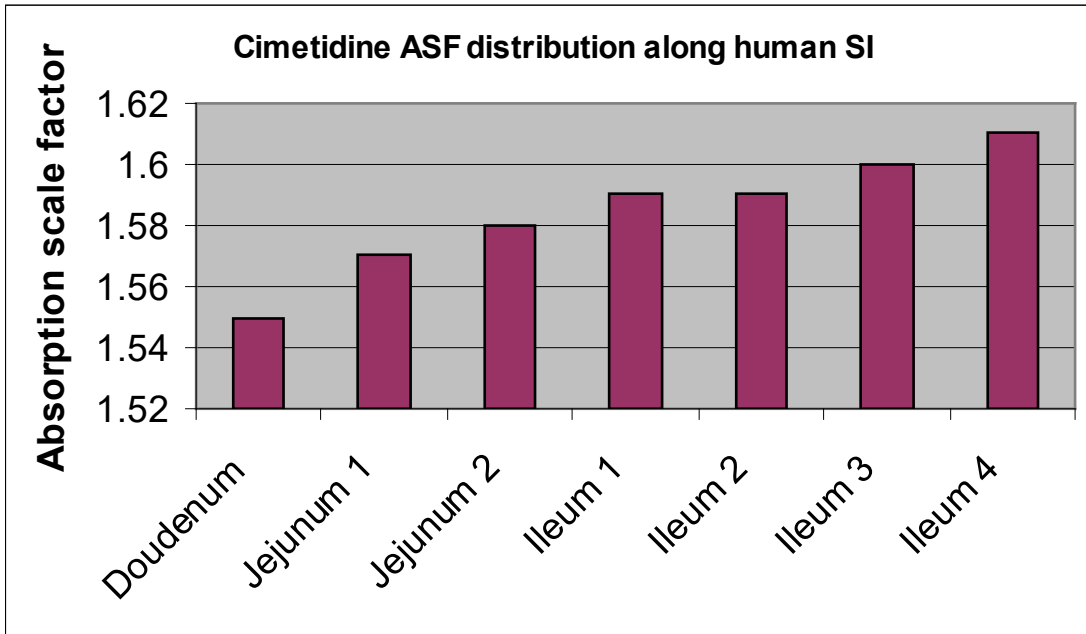
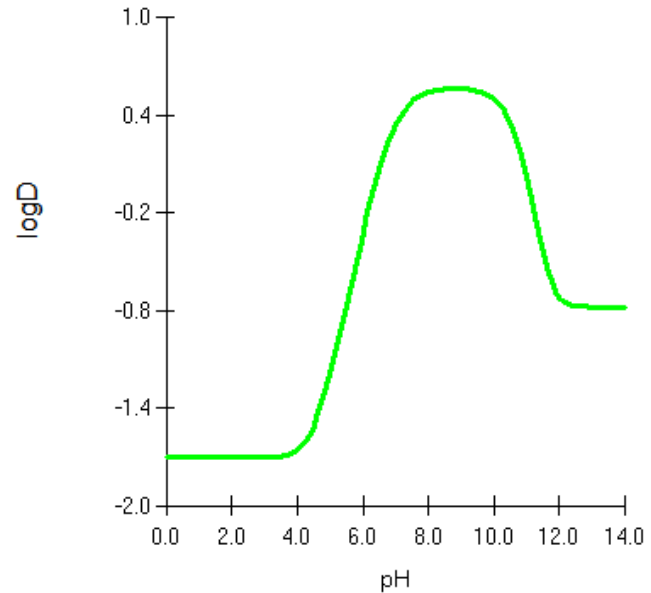
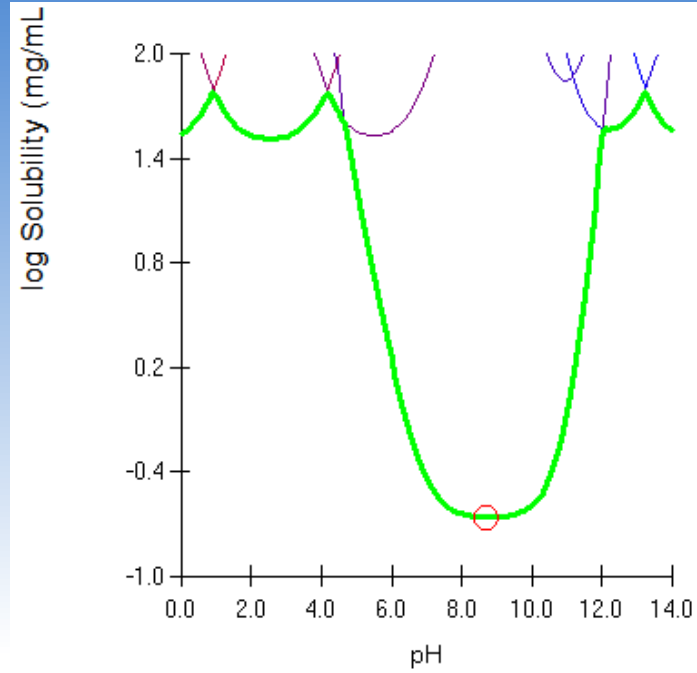
$pK_a = 9.72$   
 $\log P = 2.04$   
 $\log D(7.4) = -0.12$   
 $S(11.1) = 9.0 \text{ mg/mL}$   
 $S(7.4) = 149 \text{ mg/mL}$



# Cimetidine Profiles (ampholyte)

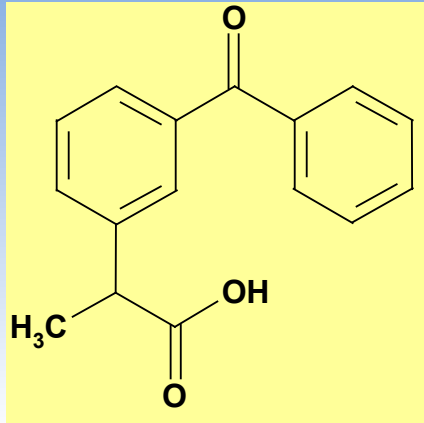


$pK_a = 11.16$   
 $pK_a = 10.75$   
 $pK_a = 6.85$   
 $pK_a = 4.16$   
 $pK_a = 0.93$   
 $\log P = 0.57$   
 $\log D(7.4) = 0.46$   
 $S(8.69) = 0.22 \text{ mg/mL}$   
 $S(7.4) = 0.28 \text{ mg/mL}$

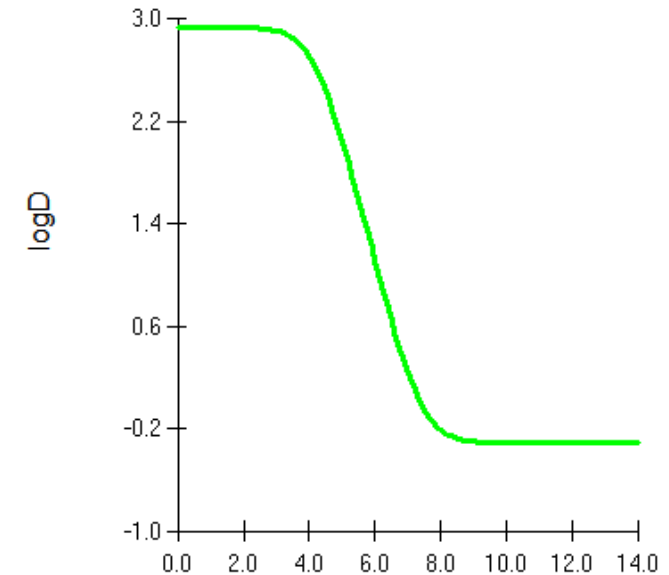
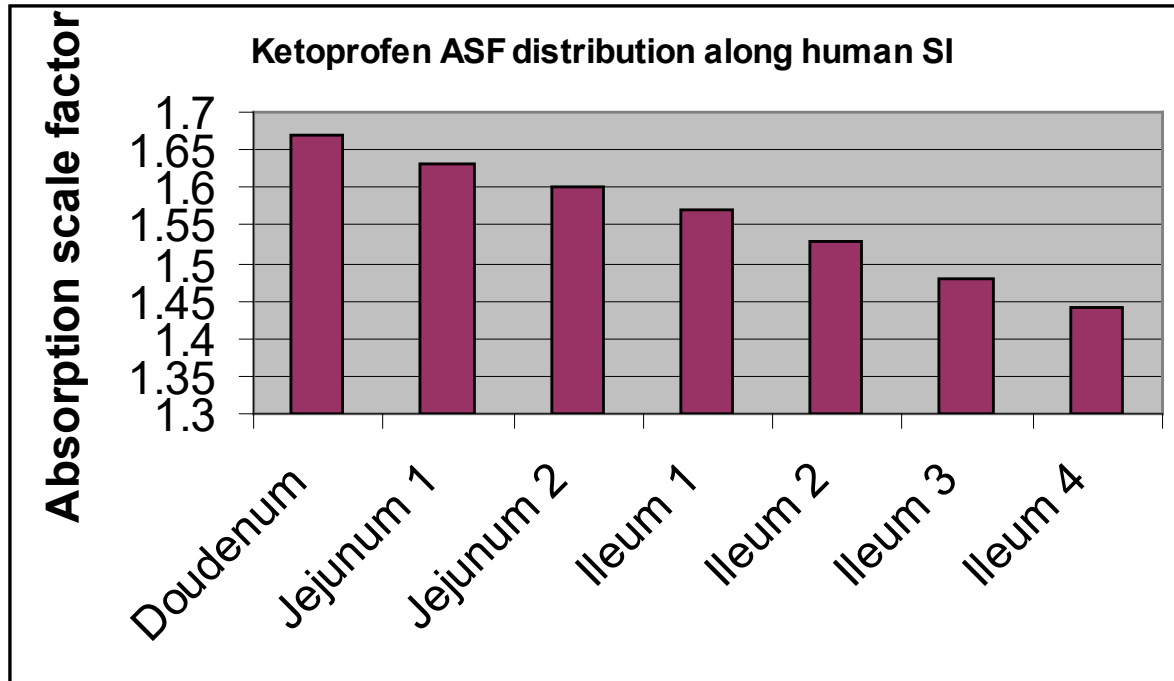
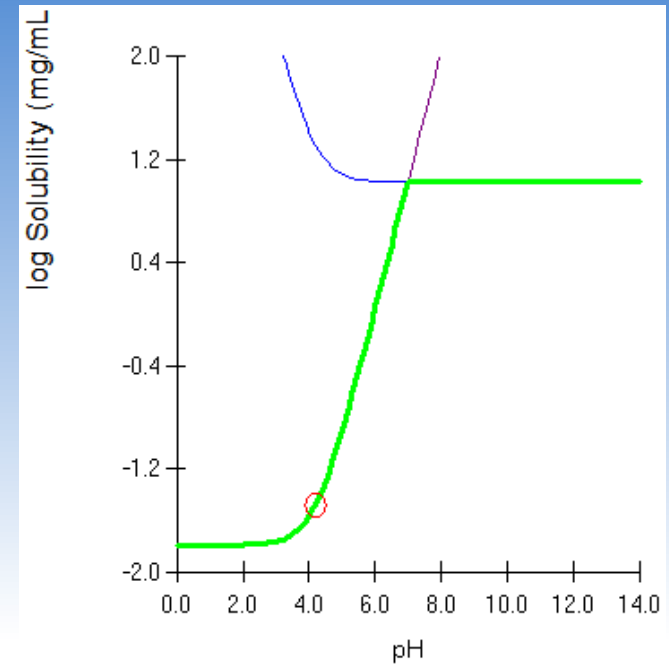




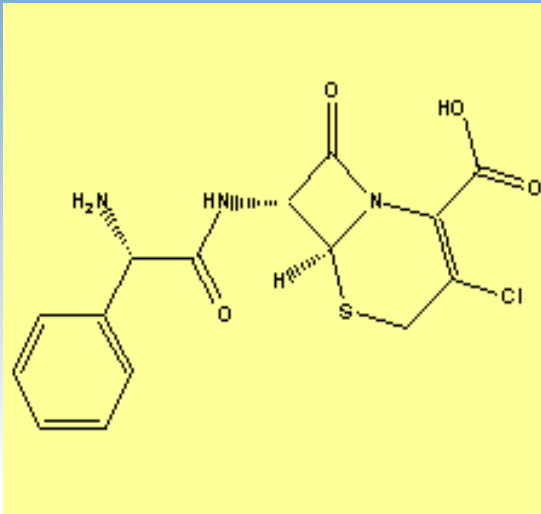
# Ketoprofen Profiles (acid)



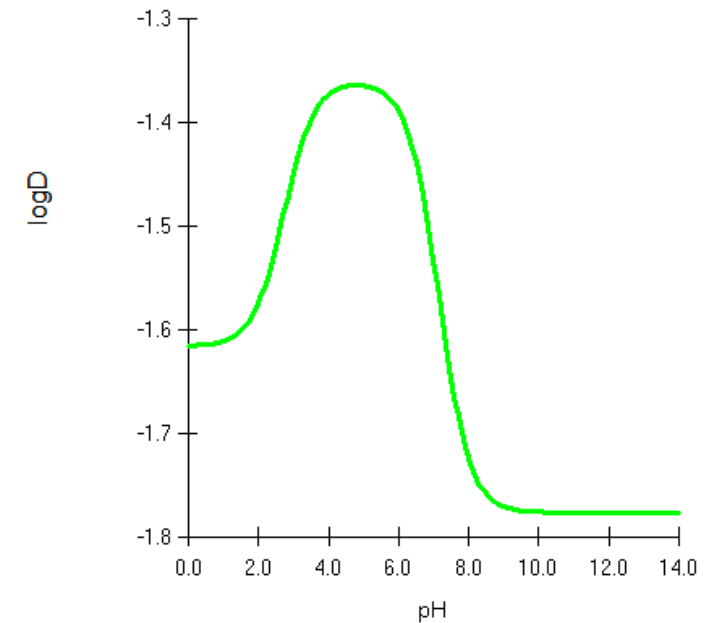
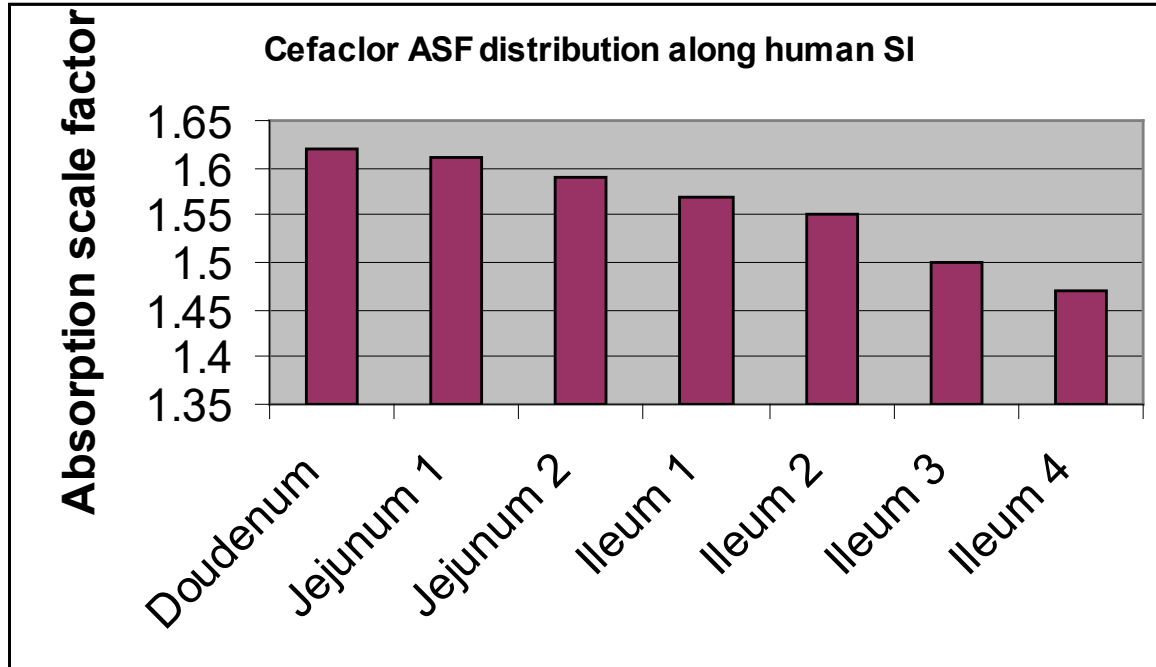
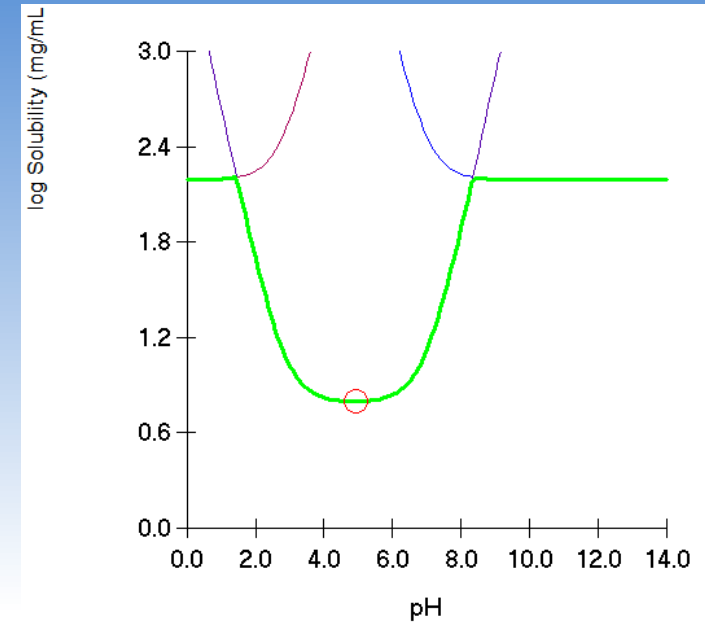
$pK_a = 4.17$   
 $\log P = 2.93$   
 $\log D(7.4) = -0.003$   
 $S(4.18) = 0.033 \text{ mg/mL}$   
 $S(7.4) = 10.5 \text{ mg/mL}$



# Cefaclor Profiles (zwitterion)



$pK_a = 6.94$   
 $pK_a = 2.85$   
 $\log P = -1.36$   
 $\log D(7.4) = -1.62$   
 $S(4.92) = 6.29 \text{ mg/mL}$   
 $S(7.4) = 24 \text{ mg/mL}$



# Questions?